# Predictions of Carbon Fixation during a Bloom of *Emiliania* huxleyi as a Function of the Regulating Inorganic Species

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Abstract. Large scale precipitation of calcium carbonate in the oceans by coccolithophorids is a phenomenon that plays an important role in carbon sequestration. However, there is a controversy on the effect of an increase in atmospheric CO2 concentration on both calcification and photosynthesis of coccolithophorids. Indeed recent experiments, performed in conditions of nitrogen limitation, revealed that the associated fluxes may be slowed down, while other authors claim the reverse response. We have designed models to account for various scenarii of calcification and photosynthesis regulation in chemostat cultures of Emiliania huxleyi, based on different hypotheses of regulation mechanism. These models, which are kept at a general and generic level, consider that either carbon dioxide, bicarbonate, carbonate or pH is the regulating factor.

These models are calibrated to predict the same carbon fluxes in nowadays pCO2, but they turn out to respond differently to an increase of CO2 concentration. Thus, we simulated a bloom of Emiliania huxleyi using the four considered regulation scenarii. For high biomass concentration, the coccolithophorids can significantly affect the inorganic carbon and the pH in their environment, thus leading to a feedback in their growth rate which is, depending on the model, positive or negative. It results that the prediction of the carbon fixed during the bloom varies by a factor 2, depending on the assumed regulating mechanism hypothesized for growth and calcification.

## Introduction

Phytoplankton uses light energy to build up organic cell components from inorganic carbon, and thus participates in the so-called 'biologic pump' that traps  $CO_2$  from the atmosphere. In the world oceans, the activity of phytoplankton accounts for about 40 % of the total, primary production on Earth.

As  $pCO_2$  levels in the atmosphere rise, phytoplankton growth might be positively stimulated by an increased availability of dissolved  $CO_2$  in the upper oceans. However, a trade-off appears between  $CO_2$ being more available for growth, and a lowered pH due to the chemical equilibrium of the carbonate system and the consequent ocean acidification.

Coccolithophorids are particularly abundant in the oceans and thus play an important role in  $CO_2$  trapping [6]. These organisms are remarkable by the presence of solid, calcite structures called coccoliths that surround their cell. Coccolithophorids hence account for up to a third of the total, marine  $CaCO_3$  production. Such structures are relatively sensitive to pH and tend to dissolve when the water becomes too acidic. It is expected that increases in  $pCO_2$  will have direct consequences on the ability of these organisms to maintain their growth rate. As a corollary, acidification of the oceans due to atmospheric  $pCO_2$  increases could jeopardize their role as a  $CO_2$  pump.

Hence, how Coccolithophorids may respond to shifts in global  $pCO_2$  is a critical question to be answered. However, if the photosynthesis mechanisms are well known, the effects of  $pCO_2$  changes, whether on photosynthesis or on calcification, are still subject to intense debates. In batch experiments, contradictory observations have been made, where increases in  $p CO_2$  either led to a decrease [8] or an increase [7] in calcification in *Emiliana huxleyi*, while photosynthesis was enhanced. Continuous cultures experiments in chemostats supported the hypothesis that both photosynthesis and calcification decrease [9].

In this paper, we investigate the relations between photosynthesis and calcification. We present a set of models, extended from [1], that integrate both phytoplankton growth and the carbonates system dynamics in the water. They were specifically designed to test several possible couplings and regulation mechanisms, assuming that calcification is regulated by one of the chemical species among  $CO_2$ ,  $HCO_3^-$  and  $CO_3^{2-}$ . The model, based on the representation of a cell quota, is a Droop-like model [3, 2, 4] that we kept as general and generic as possible. Then, we add a fourth model where the calcite dissolution state acts as a regulating factor.

To complete these biological models, a simplified representation of the carbonate system is proposed with three equations. Hence, knowing the concentration of dissolved inorganic carbon (DIC), the concentration in  $Ca^{2+}$  and considering the hypothesis of a constant concentration of the other ions in the water, the seawater model can predict the pH value and concentrations of  $CO_2$ ,  $HCO_3^-$  and  $CO_3^{2-}$ . This leads to four possible simplified models that can each represent a bloom of E.hux. These models bring two noteworthy results. We show that the predicted biomass can vary two-fold depending on the model, and that  $pCO_2$  has little influence on the bloom, due to the slow transfer of inorganic carbon at the atmosphere – seawater interface.

### 1 Modelling Growth and Calcification

### 1.1 Biological Aspects

Here we present the mass flows in the model corresponding to nitrogen and carbon uptake. Uptake of inorganic nitrogen (nitrate, denoted  $S_1$ ) into the phytoplanktonic biomass (whose particulate nitrogen concentration is denoted N), can be represented by the following mass flow, where  $\rho$  (.) is the nitrate absorption rate:

$$S_1 \xrightarrow{\rho(.)} N$$
 (1)

The flux of inorganic carbon into organic biomass *X* and coccoliths *C* is associated to a flux of calcium (Ca<sup>2+</sup>, denoted  $S_2$ ):

$$\frac{1-\alpha}{\alpha}S^2 + \frac{1}{\alpha}D \quad \xrightarrow{\mu(.)X} \quad \frac{1-\alpha}{\alpha} \quad C + X$$
(2)

There  $\mu$  (.) is the photosynthesis rate.

The next question is the modelling of both the nitrate absorption rate  $\rho$  (.) and the photosynthesis rate  $\mu$ (.).

Generally, the nitrate uptake rate is assumed to depend on external nitrate concentration *NO3*, following a Michaelis-Menten type equation [5].

The expression of the rate of inorganic carbon acquisition is trickier, as shown by [3, 4], it must depend on the internal nitrogen quota Q. However, coccolithophorids photosynthesis and calcification are also sensitive to the DIC concentration, and there is a consensus to admit that  $CO_2$  is the substrate for photosynthesis while  $HCO_3^-$  is the substrate of calcification. Therefore the regulation of growth and calcification can theoretically be triggered by  $CO_2$  or  $HCO_3^-$ . We also examine the possibility that  $CO_3^{2-}$  is involved in the regulation process of inorganic carbon acquisition [1]. Finally, we also propose in this paper to consider the availability of calcium as a possible regulating factor of photosynthesis and calcification. In this last hypothesis, we examine the possibility that  $\mu(.)$  is regulated by  $\Omega$ , the saturation state of calcite ( $CaCO_3$ ); there solubility constant yields  $K_{sp} = 5.1510^{-7} \text{mol}^2 \text{.L}^{-2}$ :

$$\Omega = \frac{[Ca^{2+}][CO_3^{2-}]}{K_{sp}}$$
(3)

As a consequence, in the sequel we examine four possible models that only differ by the regulation mechanisms of inorganic carbon acquisition.

- CO<sub>2</sub> is the regulating species, and thus μ(Q, CO<sub>2</sub>) is an increasing function of both Q and CO<sub>2</sub>.
- $HCO_3^-$  iss the regulating species, and thus  $\mu(Q, HCO_3^-)$  is an increasing function of both Q and  $HCO_3^-$ .
- $CO_3^{2-}$  is the regulating species, and thus  $\mu(Q, CO_3^{2-})$  is an increasing function of both Q and  $CO_3^{2-}$ .
- Ω is the regulating species, and thus  $\mu(Q, \Omega)$  is an increasing function of both Q and Ω.

To keep a general denomination, we denote  $\mu_p$  (Q,  $D_p$ ) the growth rate, where, depending on the model  $M_p$ ,  $D_p$  has to be chosen  $CO_2$ ,  $HCO_3^-$ ,  $CO_3^{2-}$  and  $\Omega$ .

For simulation purposes, we represent the *NO*<sub>3</sub> uptake rate [5],  $\rho(S_1) = \rho_m S_1 / (S_1 + k_N)$ , where  $\rho_m$  and  $k_N$ are the maximum uptake rate and the half-saturation constant, respectively. Based on the Droop model [3, 4], the net growth rate may be written as:

$$\mu(Q, D_p) = \bar{\mu} \left(1 - \frac{k_Q}{Q}\right) \frac{D_p}{D_p + k_{D_p}} - R \tag{4}$$

where  $k_Q$ ,  $\mu$  and  $k_{Dp}$  are respectively the subsistence internal quota, the maximum hypothetical growth rate and the half-saturation constant for the chosen regulating species. *R* is the respiration rate (supposed to be constant).

### 1.1 Seawater Modelling

In order to compute  $CO_2$ ,  $HCO_3^-$ ,  $CO_3^{2-}$  and  $\Omega$  from *D* and  $S_2$ , classical equations of the seawater carbonate system must be considered [10]. The carbonate alkalinity (CA) represents the electric charges carried in the carbonate system:

The total alkalinity (TA) is defined by (see [10] for more details):

$$CA = [HCO_3^-] + 2[CO_3^{2-}]$$
(5)

The total alkalinity (*CA*) is defined by (see [10] for more details) :

$$TA = CA + [B(OH)_4^-] + [OH^-] - [H^+]$$
(6)

We denote  $\lambda = TA - 2[Ca^{2+}] = TA - 2S_2$ . In a first approximation, the ions that most contribute to  $\lambda$  depend on the salinity and remain constant.

Following the previous considerations, carbonate alkalinity thus only depends on calcium:  $CA = \lambda - \lambda_0 + 2S_2$  (where, in a first approximation,  $\lambda_0 = [B(OH)_4^- + [OH^-] - [H^+]$ ) remains constant compared to *CA*). In order to compute the  $[HCO_3^-]$  and  $[CO_3^{2-}]$  concentrations, we use the dissociation constants of the carbon dioxide ( $K_1$ ) and bicarbonate ( $K_2$ ) (the proton concentration,  $[H^+]$ , will be denoted *h*):

$$K_1 = \frac{h[HCO_3^-]}{[CO_2]}, \qquad K_2 = \frac{h[CO_3^{2-}]}{[HCO_3^-]}$$
(7)

The total dissolved inorganic carbon (D) is defined as:

$$D = [HCO_3^-] + [CO_3^{2-}] + [CO_2]$$
(8)

Note that, in the considered pH range, we have  $[HCO_3^-] >> [CO_3^{--}] >> [CO_2^-]$  (see for example [10]). It follows that bicarbonate is the main carbon species in the bicarbonate system:

$$[HCO_3^-] \cong D \tag{9}$$

We deduced from equations (5) and (8), in the considered pH range:

$$[CO_3^{2-}] \cong CA - D \tag{10}$$

With this approximation, we can now compute the following ratio:  $r = \frac{D}{CA'}$  using equations (5), (8) and (7), we get:

$$r = \frac{h + K_2 + h^2 / K_1}{h + 2K_2} \tag{11}$$

It follows that *h* can be computed as a function of *r*:

$$h = u(r) = \left(-1 + r + \sqrt{(1 - 2r)\left(1 - \frac{4K_2}{K_1}\right) + r^2}\right) \frac{K_1}{2}$$
(12)

Now using equations (7) and (5) we can compute the exact  $CO_2$  concentration:

$$[CO_2] = \frac{CA}{K_1} \frac{h^2}{h + 2K_2} = CAv(r) = \psi(S_2, D)$$
(13)

This simplified seawater modelling allowed a mathematical analysis of coccolithophorids models [1]. However, in the simulation, we used a more accurate model that does not make any approximation. The used Matlab code is a supplement to [10].

# 2 Modelling of a *E. Huxleyi B*loom in a Mixed Layer

In summer, increasing temperatures lead to a density gradient that stabilizes the water column, which then stratifies. The surface layer remains mixed over a generally shallow depth (in the order of 20m) and to keep the model as simple as possible, we assume a homogeneous distribution. We simulated the growth of coccolithophorids in this mixed layer, as represented in Figure 1.  $CO_2$  concentration in the water equilibrates with that in the atmosphere, following the difference in concentration between the two compartments and according to the diffusion coefficient  $K_La$ .

Diffusion at the ocean surface is generated by wind stress, and so much lower  $K_La$  values must be considered here compared to *e.g.* bioreactors. That is, the low value (0.06 day<sup>-1</sup>) used in the model is representative of the natural environment.

As a corollary, it is expected that high biomasses may draw down the DIC pool faster than it is renewed. In the water,  $CO_2$  equilibrates with  $HCO_3^-$  and  $CO_3^{2^-}$ . The  $CO_2$  pool in the water is also affected by the coccolithophorids activity, being fuelled by respiration and consumed through the growth process (see (2)).

The model simulates a nitrate uptake limited by the availability of  $NO_3$ , as illustrated by (1), while growth and coccoliths formation depend on the availability of both  $Ca^{2+}$  and  $CO_3^{2-}$  (see (2)).  $NO_3$  and  $Ca^{2+}$  are provided by upwelling of deeper waters underlying the mixed layer (with an exchange rate  $K_d$ ).

The water acidity affects the coccoliths persistence; we accounted for a possible dissolution of coccoliths, whose rate is dependent upon pH and represented by  $\frac{K_{diss}}{\Omega}C$ .

Parameters	Values	Units
$S_{10}$	50	$\mu$ molN.L <sup>-1</sup>
$S_{20}$	10.4	mmolCa.L
$D_0$	1.77	$mmolC. L^{-1}$
$K_L a$	0.06	d-1
$ ho_m$	100.19	$\mu$ molN.mmolC <sup>1</sup> .d <sup>1</sup>
$k_Q$	32.29	$\mu molN.mmolC^{-1}$
$k_{S_1}$	0.038	$\mu molN.L^{-1}$
$K_1$	1.392 10-6	$mmol.L^{-1}$
$K_2$	1.189 10 <sup>-9</sup>	$mmol.L^{-1}$
$K_H$	36.7	$mmolCO_2 . L^{-1} . \mu$ atm
α	0.53	_
λ	-17.31 <sup>3</sup>	$mmol.L^{-1}$
$\lambda_{O}$	0.086 <sup>3</sup>	$mmol.L^{-1}$
K <sub>diss</sub>	0.15	$d^{-1}$
$K_d$	0.8	$d^{-1}$
$K_{sed}$	0.15	$d^{-1}$
R	0.01	$d^{-1}$

Settlement of calcite (detached coccoliths) is represented through  $CaCO_3$  sinking below the mixed layer.

Table 1. Values of the model parameters.



Figure 1. Schematic diagram of the well mixed upper ocean represented by the model.

Model equations can then be directly deduced from the mass flows (1) and (2).  $D_p$  is the regulating factor (among  $CO_2$ ,  $HCO_3^{--}$ ,  $CO_3^{2-}$  and  $\Omega$ ) assumed to regulate both photosynthesis and calcification. The system of equations reads:

$$\dot{S}_1 = K_d(S_{10} - S_1) - \rho(S_1)X \tag{14}$$

$$\dot{Q} = \rho(S_1) - \mu(Q, D_p) Q \tag{15}$$

$$\dot{X} = -K_d X + \mu (Q, D_p) X - R X - K_{sed} X$$
(16)

$$\dot{C} = -K_d C + \frac{1-\alpha}{\alpha} \mu (Q, D_p) X - K_{sed} C - \frac{K_{diss}}{\Omega} C$$
(17)

$$\dot{D} = K_d(D_0 - D) - \frac{1}{\alpha} \mu(Q, D_p) X - R X - K_{diss}$$
(18)

$$- K_L \alpha(\psi(S_2, D) - K_H p C O_2) + \frac{\alpha m r}{\Omega} C$$
  
$$\dot{S} = K_L (S_1 - S_2) - \frac{1 - \alpha}{\Omega} u(S_1) X$$
(19)

$$\dot{S}_2 = K_d(S_{20} - S_2) - \frac{1 - \alpha}{\alpha} \mu(S_1) X$$
(19)

There the exchange rate at the thermocline level is  $K_d$ , the sedimentation rate is  $K_{sed}$ , and the coccoliths dissolution rate is  $\frac{K_{diss}}{\Omega}$ .

The specific rate of carbon fixation is described as an increasing function of Q and  $D_p$ , which allows a generic analysis of the model [1]. Depending on the choice for  $D_p$ , four different models are obtained, based on three different hypotheses on the mechanisms driving both photosynthesis and calcification.

Parameters	$CO_{3}^{2-}$	$HCO_3^-$	$CO_2$	Ω	Units
$k_{D_p}$	0.076	1.65	0.01	1.53*	$\mu$ molC.L <sup>-1</sup>
$\bar{\mu}$	2.83	3.76	3.24	2.88	$d^{-1}$

Table 2. Kinetics parameters depending on the chosen model.(<sup>\*</sup> unitless for  $k_{\Omega}$ ).

The models have been calibrated in order to predict the same carbon fluxes in nowadays  $pCO_2$ , on the basis on available experimental results [1]. Parameter values are presented in Table 1 and Table 2.

The model analysis proposed in [1] demonstrates that  $M_p$  models where  $D_p$  is either  $CO_2$  or  $HCO_3^-$  support the results of [7], while models where  $CO_3^{2^-}$  or  $\Omega$  is the regulating factor support the results obtained by [9]. Last, none of these models allowed a qualitative prediction of the experimental results reported by [8]. Different model hypotheses were then required to reproduce these observations: photosynthesis had to be regulated by either  $CO_2$  or  $HCO_3^-$  while calcification was driven by  $CO_3^{2^-}$  or  $\Omega$  [1].

# **3 Model Simulation**

We used each of these models to simulate a large development (bloom) of *Emiliania huxleyi*. Phytoplankton cells are assumed to grow in a homogeneous layer, where aqueous  $CO_2$  is in equilibrium with the atmosphere. The considered, realistic  $K_La$ being rather low, the time necessary to supply inorganic carbon to the cells can be long. This can explain the significantly different behaviour between the 4 scenarii (Figure 2).

Indeed, it turns out that, for high biomass concentrations, the coccolithophorids can significantly draw down the inorganic carbon and thus affect the pH in their environment. Depending on the model, the simulated mechanisms induce a positive (in the models with  $CO_3^{-1}$  or  $\Omega$ as regulating factor) or negative (in models with  $CO_2$  or  $HCO_3^{-1}$ ) feedback on the growth rate. It results that the prediction of carbon fixed during the bloom formation can vary by a factor up to 2, depending on the assumed regulating mechanism hypothesized for growth and calcification (Figure 3).

The simulations with  $\Omega$  as regulating factor make little difference to that with  $CO_3^{2-}$ . Such result can be explained by the fact that changes in  $Ca^{2+}$  concentrations being small,  $\Omega$  fluctuations are similar to that of  $CO_3^{2-}$ .

When introducing a coccoliths dissolution term, model results remain close to that obtained without dissolution rate. Hence, the rate of coccoliths dissolution stayed low.



 $(CO_2: ..., HCO_3^-: ..., CO_3^{2^-}: ..., \Omega: ...),$ The models where  $D_p = CO_3^{2^-} or D_p = \Omega$  predict much higher carbon fluxes.

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This can be explained by the remarkable stability of  $CO_3^{2-}$  whose concentration variation did not exceed 10%. Indeed the decrease of  $CO_3^{2-}$  due to exhaustion of total inorganic carbon is compensated by the pH increase that favors the form  $CO_3^{2-}$  to the detriment of  $HCO_3^{-}$ .

Last, investigating the influence of different surface  $pCO_2$  revealed very little impact on growth. An increase from 380 ppm to 600 ppm only modified the total production by about 2%. At the air/sea interface, low  $K_La$  values limit the increase in dissolved  $CO_2$  concentrations and, as a corrolary, short time scales (month) changes in  $pCO_2$  in the water do not reflect that in the atmosphere. Consequently, model results suggest that biomass production remains relatively insensitive to changes in atmospheric  $pCO_2$ .

# 4 Conclusion

This study stresses how a correct identification of the chemical species that drive(s) calcification and photosynthesis processes is critical to accurately predict a bloom of coccolithophorids and the consequent amount of carbon withdrawn from the atmosphere and trapped into the deep ocean. The model results reveal a striking difference in the predicted biomass increase when the saturation state  $\Omega$  (or equivalently  $CO_3^{2-}$ ) is the regulating factor.

In the configuration of a low air/sea exchange, model results suggest that increased  $pCO_2$  in the air show very little impact on growth. Due to the exhaustion of the DIC pool by the high biomasses formed during the bloom and low transfer coefficient, changes in surface  $pCO_2$  hardly affect the bloom intensity. Such paradoxical transient behaviour only apply to off shore marine systems. Coastal, shallow ecosystems may present higher diffusion rates and model results then suggest a higher impact of surface  $pCO_2$  on growth: under conditions of higher  $K_La$  values, the  $CO_2$  resupply to the water participates in enhancing bloom formations for models regulated by  $CO_2$  or  $HCO_3^-$  and shows a positive effect on growth, while the opposite behaviour is observed for models regulated by  $CO_3^{2-}$  or  $\Omega$ .

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